# "The Gazelle Adaptive Racing Car Pilot" 

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Date: October 2014

Submitted to the faculty of the Indiana University South Bend in partial fulfillment of the requirements for the degree of

## Master of Science

in
Applied Mathematics and Computer Science

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#### Abstract

In this thesis, we developed a car driving system called "Gazelle" for a simulated racing competition. For this, we used both procedural methods and learning methods consisting of hill climbing and a neural network. We hoped that using neural networks could lead the controller to derive more accurate equations for driving the car based on previous data acquired during the training process. We also expected that the more the networks are trained, the more precisely they would predict the driving information. We also used a Hill Climbing method to refine the learning process.

Keywords: Artificial Neural Network, ANN, NN, TORCS, Simulated Car Racing Championship, Gazelle, Opponent Detection, Overtaking, Opponent.


## Acknowledgments

## "In the name of Allah, the Beneficent, the Merciful."

I would like to express my special appreciation and thanks to my supervisor Professor Dana Vrajitoru, who was very kind and supportive during my thesis work. She has been a great help and support on the way to my results.

I would also like to thank my committee members, Professor Hossein Hakimzadeh and Professor Yi Cheng for serving as committee members and for their comments and reviews, thanks to all of them.

A special thanks to my family. Words cannot express how grateful I am to my parents for their prayers and support during my long stay outside the country. I would also like to thank my husband, Abdullah Aljarbooa. Thanks for supporting me and for encouraging me throughout this experience. To my daughter Dania, I would like to express my thanks for being such a good girl always cheering me up.

I would also like to thank Mr. Dave Miller who simplifies the principles of building and working with artificial neural networks.

The last acknowledgement goes to the developers of the open racing car simulator (TORCS) and the organizers of the simulated car racing championship for developing and supporting this challenging environment.

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## 1. Introduction

In this thesis we conduct a study on various methods that can be applied for successfully driving a car in a simulated environment in the presence of opponents.

### 1.1 The Importance of Autonomous Cars

Nowadays, the interest in developing autonomous vehicles increases day by day with the purpose of achieving high levels of safety, performance, sustainability, and enjoyment. Driverless cars are ideal to use in crowded areas, on highways, and because they ease the flow of the cars. The autonomous cars can also reduce the opportunity of occurring accidents which are usually caused by an oncoming car or by people who are crossing the street while the drivers don't pay attention to their presence.

There are many research centers founded around the world for developing smart systems for driverless cars. These automotive research centers are supported by the leading automobile companies and universities such as the Center for Automotive Research at Stanford University (CARS) [21]. CARS has a network of more than 80 affiliated industry partners such as Ford Motor Company, General Motors, BMW of North America, Mercedes-Benz Research \& Development North America, Allstate Roadside Services...etc. [21]. The CARS center brings together industrial interests and academia by attracting the researchers who have the passion to work on the automotive research which is supported by the affiliated industry partners.

As an attempt to simulate autonomous cars, the simulated racing car competitions have arisen recently. This category of computer games involves computational and artificial intelligence [14]. The importance of such competitions comes from the fact that they are a perfect environment for testing the application of autonomous driving techniques [14]. Thus, simulated racing car competitions offer a structure to "test learning, adaptability, evolution and reasoning features of algorithms under investigation" [13]. The simulation offers a realistic platform for racing cars in real time.

In this thesis we present an adaptive racing car controller developed within TORCS (The Open Racing Car Simulator) [10]. The TORCS system visualizes racing cars with complex graphics based on physics principles. The program offers a server which implements the race combining multiple cars, and the setup for the user to develop a client for it. A client module that can be written by the user [5] supplying the actions of an individual car. The client module that we developed for this thesis is called Gazelle. We submitted an early version of the Gazelle controller to the TORCS competition that was organized by the Genetic and Evolutionary Computation Conference in 2013.

### 1.2 The TORCS Simulator Environment

The TORCS (The Open Racing Car Simulator) is a popular racing car simulator written in C++ [13]. TORCS is commonly used for academic purposes, because it is similar to the commercial racing car games, and it is considered to be a fully customized environment [13]. It has a powerful physics engine and a 3D graphics engine; together they enable visualizing the racing cars continuously in real time [13]. It also provides the capability to develop and build new controllers for cars. The TORCS attracts a wide community of developers and users, and it is the platform for
popular competitions which are organized every year as a part of various international conferences [5].

In this environment, each car is controlled by a controller process. The controller can access the current state of the car in the race, consisting of information about the track, the car, and the opponents [14]. Based on this information the controller makes decisions to modify the following control units:

- the steering wheel with values in the range $[-1,+1]$ for a change in direction: -1 corresponds to $-45^{\circ}$ while +1 to $45^{\circ}$;
- the gas pedal $[0,+1]$ for accelerating; a value of 0 will result in losing the speed;
- the brake pedal $[0,+1]$ for decelerating;
- the gearbox with possible values in the set $\{-1,0,1,2,3,4,5,6\}$ for choosing the gear [5].

The system works in a client-server model. The race application is a server, while each car controller is a client exchanging information with it in real time.


Figure 1: A Screenshot of TORCS during the race

As it is shown in Figure 1, the upper screen of TORCS displays the client and its information such as the car's rank, the total time that the car spent from the beginning of the race, the best time that has been taken to complete a lapse, and other measurements such as the positions of the cars on the track, the fuel, the damage, and the speed. The lower screen shows the race from another angle; this screen displays one of the opponent cars if any of them are present. It also displays the statistics of that car, gear levels, and the speed of the car. It also shows the holders of the first five ranks.

The remainder of the thesis is organized in the following way. In Chapter 2 we discuss a few previous papers, works, and other materials that are relevant to our controller. In Chapter 3 we discuss the procedural methods and the learning methods that we have already used and developed further to improve the driver algorithm that we started from. Chapter 4 discusses the experimentation methodology that we used to evaluate the controller's performance.

## 2. Literature Review

The work in this thesis is based on the EPIC controller as presented by Guse and Vrajitoru in [5]. EPIC was submitted to the GECCO 2009 competition [16]. In this competition, cars driven by code submitted by the competitors run against each other in a race. Beside the car status, the controllers are provided with information about the angle with the track's center line, the free distance ahead within 45 degrees of the car direction, and information about close opponents. The paper describes a car driver based on two components: determining the target angle for turning in each frame, and determining the target speed in the next frame. The controller calculates the target angle based on the target direction in an efficient way. It also provides a sharp turn detecting system which allows adjusting the target speed for an approaching sharp turn to keep the car inside the track. The system also adjusts the target angle if it determines that it might lead the car out of the track [5]. EPIC depends on the principle of calculating the free available distance ahead to determine the target angle. However, this controller lacks a component to handle opponents, and the movement along the track requires more fluency. So, we started improving the EPIC code to achieve these desirable goals.

Many approaches can be found in the literature for track prediction with the purpose of optimizing the performance. Such predictions help the controller to make early decisions on adjusting the steering angle and the target speed, in order to keep the car inside the track. Such an approach allows the controller to minimize the damage to the vehicle and to reduce the time required to complete the race.

One popular approach of track prediction depends on calculating the distance ahead, such as the one used in the EPIC controller. It calculates the free available distance ahead of the car to determine the target angle. Another approach is "the track segmentation", in which the track is divided into pieces and these pieces are classified as pre-defined types of polygons. Then the controller reconstructs a full track model from these polygons, as presented in [15].

Another controller based on the track segmentation principle is presented by Onieva et al. [13]. Their controller was submitted to TORCS Racing Car Competition 2009 [16]. The architecture of the controller consists of five simple modules that control gear shifting, steer movements, and pedals positions [13]. In addition, the target speed is adjusted by the "TSK fuzzy system". As the authors pointed out, "Fuzzy rule-based systems are considered one of the most important applications of the fuzzy set theory suggested by "Zadeh [20]". When the car is inside the track, the target speed is calculated based on certain rules [13]. The most important aspect of this work is the opponent modifier. It controls the driving behavior in situations when an opponent is nearby by adjusting the steering controller and the braking controller immediately. However, this approach doesn't take into consideration the factor of the opponent's speed. In general, this paper provides an important contribution for detecting the track mode and handling the opponents for autonomous cars.

Another paper [14], also written by Onieva et al. in 2012, presents a driving controller called AUTOPIA for the simulated racing car competition. It provides a full driving architecture including six separate main tasks: gear control, pedal control, steering control, stuck situation manager, target speed determination, opponent modifier, and learning module [14]. The performance of the controller was tested in two efficient ways: it was running over several tracks with and without opponents. Several measures of performance were reported, such as participating
in international competitions and running the car on several tracks once alone and another time with opponents. The controller was submitted as a participant to the 2010 Simulated Racing car Competition, in which it won laurels in the end as the authors claimed [14]. The paper provides a simple and a powerful architecture especially for the opponent modifier. It deals with opponents in all directions in a simple approach. When an opponent is present within unallowable distances, heuristic rule sets are applied for pedal control and steering control [14].

Furthermore, many learning approaches are presented to find the optimal path the car should follow to reduce the time required to complete the race. Finding the optimal path could be accomplished by shortening the distance covered by the car and avoiding unnecessary turns.
"The evolutionary learning approach" is presented in a paper by Kim, Na et al. [7]. It presents an optimized algorithm which was used for an autonomous car controller using "selfadaptive" evolutionary strategies (SAESs) [7]. Kim, Na et al. developed additional rules and parameters to enhance the performance of their previous model, and they applied new learning approaches to these rules and parameters [7]. This work is well-experimented and it provides learning approaches that are able to derive the parameters used to determine the target speed in an efficient and easy to generalize way. Yet, it lacks an opponent handling system.

Another controller using the evolutionary learning system is presented by Quadflieg et al. in [15]. The controller is based on the track segmentation principle. It was submitted to TORCS Racing car Competition 2010 [15]. This controller uses a simple evolutionary learning approach which enables planning the path ahead for the car [15].

More recently, another learning approach which uses hyper-heuristics in a real-valued mode in a paper [8] by Kole, M et al. It presents the TORCS-based car system as a real valued optimization problem and studies the performance of different methodologies including a set of heuristics and their combination controlled by a selection hyper-heuristic framework. The study shows that hyper-heuristics perform well in the TORCS environment [8].

Artificial neural networks (ANN) are also used as a learning system. The ANN can be traced back to 1943 when the neurophysiologist Warren McCulloch and the mathematician Walter Pitts developed a simple model for an artificial neural network in order to describe how the brain's neurons might work. Their artificial neural network was designed using electrical circuits [24]. Five years later, a paper, written by Donald Hebb, pointed out that the neural paths become stronger every time they are used, which is considered an important principle in the human learning process [24]. This paper inspired scientists to think that neural networks could learn from examples in a similar way.

In 1959, the first neural networks applied to a real world problem were called "ADALINE" and "MADALINE" and were developed by Bernard Widrow and Marcian Hoff from Stanford [24]. Later, the reputation of neural networks diminished due to the fact that some computer scientists suggested that there is no productivity for developing such neural networks [24]. This resulted in a significant elimination of funding and research with artificial neural networks [24].

During the late 1970s and early 1980s, a public interest emerged again in the neural networks field. In 1982, there was a joint US-Japan conference on Cooperative/Competitive Neural Networks [24]. Japan unveiled its fifth generation of neural networks, and US academia were worried that the US could be left behind in the neural networks field. Thus, there was more funding and more research raised in the field. As a result, within the next four years later, the back-
propagation neural networks and the hybrid networks with multiple layers were developed [24]. Currently, their value is recognized by the computer science community and they have a vast number of applications. They seem especially suited for areas related to control, that our project belongs to.

In [12], a controller presented by Muñoz, et al. was submitted to the 2010 Simulated Racing car Championship. It is "a human-like controller" using neural networks [12]. It adopts the principle of track segmentation. The controller builds a model of the tracks using the neural networks to predict the trajectory the car should follow and the target speed [12]. "The neural networks are trained with data retrieved from a human player, and are evaluated in a new track" [12]. The ANNs are trained to reach the optimal path the car should take to behave similarly to the human player. This work shows a satisfying result of predicting the trajectory in new tracks; however, the target speed is most likely slower than the human's on the same tracks because of the absence of an opponent overtaking component, as the authors mentioned [12].

A different controller suggested by Chaudhary and Sharma in [3] generates the optimal racing line using artificial neural networks. The controller choses the optimal racing line within a scope angle of 15 degrees that gives the maximum possible speed in every point on the path.

Overall, most of the works succeeded in building either a track prediction system or an opponent-handling system. It is challenging to deal with opponents while the car is traveling on a specific target angle and at a specific target speed. Sometimes, the presence of opponent requires adjusting the steering angle and modifying the speed, either by accelerating or decelerating. Thus, most of the papers focus on improving track prediction systems regardless of the presence of the opponents.

On the other hand, there are a few papers discussing the speed prediction, such as [5]. Here, the Hill Climbing (HC) learning approach was used in EPIC to find the optimal safe speed the car should take to reduce the damage resulting from miscalculated speed [5]. The HC creates the first candidate solution and then produces the offspring using "a parameterless search operation". The search operation performs a loop in which the optimal solution at the current time is used to produce one child. If this new child is better than its parent, it replaces it. Then, the cycle starts all over again [19]. The algorithm does not maintain a search tree: it looks for an appropriate path only from the current state to immediate future states. Hill Climbing is widely used in networking and communication, robotics, data mining and data analysis, and developing behaviors for game players [19].

We will compare our model with both the EPIC controller described earlier in this section, and with a Simple Driver controller provided by the TORCS engine as part of the client code. The Simple Driver is a very simple controller providing basic modules for steering control and accelerating/brake control. It keeps the car in the middle of the track as much as possible, and it applies a simple recovery policy if the car is stuck.

## 3. Auto Pilot Methods

In this chapter, we will discuss in more detail the procedural and learning methods that we used to improve the EPIC algorithm that this research is based on. In the procedural methods, we will describe the units that we added to enhance the performance of the Gazelle driver. As part of the discussion of the learning methods, we will describe some algorithms that we used to improve the procedural driver automatically.

### 3.1 Benchmark Pilots

For a valid evaluation of the Gazelle's performance, we need similar controllers to Gazelle to compare our various models with them. We chose two pilots that were available to us together with the source code: the Simple Driver and the EPIC controller.

## 1. The Simple Driver

This pilot was provided by the TORCS software, and it was developed by Daniele Loiacono in 2007 [10]. It contains very basic functions to control the racing car to give the developers an idea of what the controller should look like. It contains simple functions to control the gear, steering angle, and the speed without dealing with opponents. Here are the principles of car driving in this system.

If the car is found at an angle with the road axis that is greater than 30 degrees for at least 25 consecutive frames, then it is considered to be "stuck". In this case, the simple driver sets the car in reverse with an angle that is the negative of the current angle with the road. It drives the car this way at a low speed until the car's front is oriented towards the border of the road. For example, if the car is on the left side, then it should be facing left. At that point, the car is shifted into first gear and the steering angle is reversed, so that the car can start moving forward again. Both the EPIC driver and the Gazelle are using this algorithm to deal with stuck situations.

If the car is not stuck, then the Simple driver proceeds the following way:
First, it computes the target speed. For this, it gets the distance ahead along the car's axis from the sensors (labeled cSensor), then at 5 degrees to the left (lSensor), and at 5 degrees to the right (rSensor), as shown in Figure 2. Let's assume that $r$ Sensor $>c$ Sensor. Then the driver first makes an estimation of the "turnAngle" which is the angle between the tangent to the road in the point that the car is oriented towards and the direction of movement plus 5 degrees. If lSensor $<c$ Sensor, the angle is taken based on the direction of movement minus 5 degrees. Then the target speed is computed as:

$$
\text { targetSpeed }=[\text { maxSpeed } * \text { cSensor } * \sin (\text { turnAngle })] / \text { maxSpeedDist }
$$

where:

$$
\text { maxSpeed }=150 \mathrm{~km} / \mathrm{h} \text { and } \text { maxSpeedDist }=70 \mathrm{~m} .
$$



Figure 2: Determining the speed in the Simple Driver
Second, it computes the target angle for steering the car by simply aiming to keep the car parallel to the track axis and close to the center of the road. At high speed, this driver reduces the steering command to avoid loosing control of the car.

In addition to these, the Simple Driver also provides some functions for changing the gear and for converting a target angle or speed into the correct value for the steering and acceleration. These were used both EPIC and Gazelle.

## 2. EPIC

This autonomous driver that was used as a starting point for writing Gazelle, and was developed by Dana Vrajitoru and Charles Guse [5]. EPIC was submitted to the GECCO 2009 competition [16]. This pilot has the next properties:

The general algorithm of EPIC consists in the following steps:

- calculate the target direction and speed,
- determine the correct gear,
- calculate the target angle based on the target direction,
- calculate the acceleration and the brake based on the target angle and speed [5].

First, for the target direction, EPIC starts by deciding if the car can continue to travel in the current direction. The conditions for persisting in the same direction are:

- if the current direction of the car is close enough to the direction of the road centerline,
- if there is enough free distance straight ahead in the car's direction of movement,
- if the car is safely inside the track[5].

If the previous conditions are not met, and the car is too close to the border of the road or if it is outside the road altogether, then EPIC has to take a new direction by modifying the steering angle to get closer to the road centerline[5].

Second, the target speed is computed. Thus, the speed at which the car can safely ride depends on how straight it is going. The safe conditions for the speed are considered to be:

- if the car is going almost straight,
- if the free distance in front of the car in the new direction set by the target angle is large enough,
- if no sharp turn is anticipated to follow up on the road soon[5].

If the three conditions above are met, then the speeding up is set to its maximal value. This situation is called pedal to the metal [5]. In any other case, a large value for the target speed is set to start with, which is first scaled by the sine of the target angle for steering the angle and with the available free distance in the target direction [5].

Third, the driving behavior is adjusted by calculating "the sharp turn factor". This is used to avoid the situation where the car skids when it tries to turn by a large amount at a high speed. For this purpose, EPIC scans up to 20 degrees left and right of the target direction and it looks at the difference between the free distances ahead in adjacent directions that differ by 10 degrees. As Figure 3 illustrates, two situations could be resulted from the detection algorithm of sharp turns:


Figure 3: Detection of a sharp turn [5]

- A very similar value of free distance indicates a sharp turn in the road that requires the vehicle to slow down ahead of time because it can happen that at a high speed, the car will not be able to steer fast enough to make the turn.
- A larger difference between these distances indicates that the road continues in a direction that is close enough to the current direction of movement, so it is safe to increase the speed [5].

EPIC used a simple Hill Climbing technique to adjust several parameters that affect the control units of the car [5]. The controller also has a "dynamic adaptation mechanism" that can be used to learn the racing car's behavior on a new track [5].

- If no damage has been recorded during this first lapse, the parameters used for calculating the maximal speed in each situation are incremented to make the car go faster.
- Otherwise every time the car gets out of the track or records damage without an opponent being close by, the pilot will keep the same values for these parameters or decrease them to make its behavior safer [5].

EPIC has several well-developed functions, however, it required some improvements such as:

- Making the pilot react to any approaching opponent as EPIC couldn't handle the opponents.
- The racing car sometimes is swinging while it is traveling on the road. Such instable movement needs to be improved to make the car's movement more balanced.


### 3.2 Procedural Methods

The TORCS engine provides the following information to the controllers: a car status containing the current speed, the angle with the centerline of the road, the distance from the center of the road, and more; an array of sensors detecting the distance to the road border in a 5 degrees increment in a range of $[-45,45]$ degrees around the car's direction of movement; and array of opponent sensors with information about opponents present within a 200 m radius of the car in all directions.

The first goal of this thesis was to implement the Gazelle controller efficiently by improving the existing modules from the EPIC controller and by adding new components to deal with aspects not present in the EPIC driver. The EPIC driver is the starting module for the Gazelle driver. We also added new modules to deal with opponents and reduce the damage caused by hitting the hard shoulders of the road.

## The Gazelle Controller

The Gazelle controller consists of three components: the target direction unit, the target speed unit, and the opponent adjuster. The target direction unit controls the direction in which the car is moving. The target speed unit adjusts the speed based on the target direction, while the Opponent Adjuster adjusts the direction and speed based on the opponents' presence. Below we will describe each unit in more detail.

## Target Direction Unit

The unit determines the target angle using the following guidelines:

- If the current direction of the car is close enough to the road centerline, there is enough distance straight ahead, and the car is safely inside the track, then the car can continue in the same direction.
- Otherwise, we start with the direction of the road centerline, and scan by 10 degrees in the direction in which the distance ahead increases, until we find an angle at which it decreases, or we reach the maximal turn angle of $45^{\circ}$. Figure 4 (source: [5]) shows this scanning process of searching for a good path of movement.


Figure 4: The scanning process [5]
If the car is too close to the border of the road or gets outside, we add a direction change to move it back inside. Currently, the borders threshold, denoted by safelyInsideTrack, is at $85 \%$ distance from the center of the road, to account for the width of the car. Let trackPosition be the current position of the car on the road, taking values between -1 and 1 . If abs(trackPosition)>safeInsideTrack, then the new target angle is computed as:

$$
-25 * \operatorname{sign}(\text { trackPosition)(abs(trackPosition) - safelyInsideTrack) }
$$

Where the function abs returns the absolute value of a number and the function sign returns -1 for a negative number, 0 for 0 , and 1 for a positive number. This formula scales 25 degrees by how far the car is from the threshold. If the computed target angle already has a value of the same sign but of a larger absolute value, then this new target angle is not used because the normal method is performing the adjustment already.

- If the current turning angle is good enough, we maintain it for movement continuity. This is determined by comparing the free distance ahead with the free distance 10 degrees left and right; if the distance ahead is the largest of the three values, then we can maintain the current angle. This is an addition to the Gazelle controller to improve the fluency of the car's movement.

As Figure 5 shows, after the target angle is computed, we identify four types of situations on the road:

- Straight: if the road is straight ahead of the car and the target angle is between $0^{\circ}$ and $10^{\circ}$.
- Fast Curve: if the upcoming curve is small enough and its angle is between $10^{\circ}$ and $15^{\circ}$.
- Medium Curve: if the angle of the upcoming curve is between $15^{\circ}$ and $30^{\circ}$.
- Slow Curve: if the upcoming curve is wide and the target angle is greater than $30^{\circ}$.


Figure 5: The curve types
We differentiate between the curves in order to adjust the target speed in the next module. Thus, the straight and fast curves allow the controller to drive at the maximum speed, while the slow curves require adopting the minimum safe speed to keep the car inside the track.

## Target Speed Unit

The target speed is computed once we know the target angle. The unit determines the speed using the following guidelines:

- If we are going almost straight or on a fast curve, the distance ahead is large enough, and no sharp turn is coming ahead, we aim for a configurable high speed parameter called "sundayDriver".
Otherwise the target speed starting from the sundayDriver value is first scaled directly proportional with the cosine of the target angle for the change in direction and with the available distance in the aimed direction. This way, the smaller the turning angle is, the larger the speed will be. Similarly, the more distance is available ahead, the faster the car will go. Let safeSpeed be a value for the speed that we think will be safe for any curve, such as $30 \mathrm{~km} / \mathrm{h}$. Let spaceFactor be the available free distance in the aimed direction normalized by the maximal sensor range $(100 \mathrm{~m})$. The speed is computed as:

$$
\text { targetSpeed }=\text { safeSpeed }+(\text { sundayDriver }- \text { safeSpeed }) * \cos (\text { targetAngle }) * \text { spaceFactor }{ }^{2}
$$

- The resulting target speed is scaled afterwards by a factor depending on the sharpest turn in the road detected ahead, 20 degrees left and right of the aimed direction. The purpose of this is to anticipate situations where the speed needs to be reduced.


## Opponent Adjuster Unit

We put more efforts into building a component for dealing with opponents because the car's performance can be optimized by handling the opponents properly. As we mentioned previously, most of the controllers we discussed before don't handle the opponents well or at all. Neither the Simple Driver, the controller provided as an example by the TORCS competition, nor the EPIC controller can deal with the opponents.

In our opponent adjuster, if an opponent violates that chosen tolerance values of closeness as determined by the opponent sensors in each direction, then the gas/brake control and steering control will be modified to avoid the collision the following way:

- If there is an opponent at a distance of 200 m or less, then a test will determine if it violates the safe distance (the tolerance values) in each of the available sensor directions.
- If there is an opponent in the front of the car, on the sides, or in the rear of the car within an unallowable space, the following flags are turned on, causing a reaction of the respective modules:
- A Brake flag for an opponent in the front. This flag takes care of the sensors in the range of $-40^{\circ}$ to $40^{\circ}$ [13]. If an opponent is found within an unallowable space and its speed is close to ours, the car should brake immediately by modifying the brake/accelerate value to the half of the current speed. The tolerance values are shown in Table 1 and were adopted from [13].

Table 1: Opponents adjuster over the gas \& brake action [13]

| Orientation of the Opponent Sensor | Tolerance Value |
| :---: | :---: |
| $\pm 40^{\circ}$ | 6 m |
| $\pm 30^{\circ}$ | 6.5 m |
| $\pm 20^{\circ}$ | 7 m |
| $\pm 10^{\circ}$ | 7.5 m |
| $0^{\circ}$ | 8 m |

- A Steering flag for an opponent in the front or on the side, it takes care of the opponent sensors in the range of $-100^{\circ}$ to $100^{\circ}$, also adopted from [13]. An overtaking manoeuver requires to modify the steering angle if the opponent violates the tolerance values. The tolerance values are shown in Table 2.

Table 2: Opponent sensors tolerances for overtaking [13]

| Orientation of the Opponent Sensor | Tolerance Value |
| :---: | :---: |
| $0^{\circ}, \pm 10^{\circ}$ | 20 m |
| $\pm 20^{\circ}$ | 18 m |
| $\pm 30^{\circ}$ | 16 m |
| $\pm 40^{\circ}$ | 14 m |
| $\pm 50^{\circ}$ | 12 m |
| $> \pm 50^{\circ}$ | 10 m |

- An Accelerating flag for an opponent at the rear of the car driving at an equal or higher speed than ours. Increments values are summarized in Table 3.

Table 3: Opponent sensors increments for overtaking [13]

| Orientation of the Opponent Sensor | Increment Value |
| :---: | :---: |
| $0^{\circ}, \pm 10^{\circ}$ | $\pm 0.20^{\circ}$ |
| $\pm 20^{\circ}$ | $\pm 0.18^{\circ}$ |
| $\pm 30^{\circ}$ | $\pm 0.16^{\circ}$ |
| $\pm 40^{\circ}$ | $\pm 0.14^{\circ}$ |
| $\pm 50^{\circ}$ | $\pm 0.12^{\circ}$ |
| $> \pm 50^{\circ}$ | $\pm 0.10^{\circ}$ |

## Trouble Spots Register

This component was added in order to avoid the accidents caused by mistakes in predicting the right steering angle, leading the car out of the track. In TORCS competitions, the race starts with a warming level which allows drivers to learn the track. After that the actual race takes place in the second level. Thus, we introduced the "Trouble Spots Register" detecting and storing places in the track where the car gets out of the road starting from the warming level. In the subsequent lapses of the circuit, to avoid repeating these mistakes, we use a method decelerating the speed whenever the car is close to a trouble spot, by an amount inversely proportional to the distance to the trouble spot.

A list of "trouble spots" on the road will be stored by the Gazelle driver in a persistent memory space in order to be accessible at later points during the race. To achieve this, the last position of the car on the road is stored in each frame. Then when the code detects that the car got out of the road, this position is added to the list.

In each frame, the current position of the car is compared to the trouble spots. If we are close enough to one of them, the speed will be adjusted as mentioned above. The closer we are to the trouble spot, the faster the car will decelerate.

The issue arises from the fact that the visibility of the driver is limited to 100 m ahead and that it is difficult to break down the speed fast enough if the situation requires it. For this reason we adopted the approach of detecting a sharp turn on a road combined with the trouble spots detector.

### 3.3 Learning Methods Overview

In this part of the research, we aimed to optimize the performance of the procedural driver automatically using learning methods. Even though the ANN is initially not expected to outperform the original function that it learns from, which is the procedural Gazelle in our case, it has the potential to continue learning afterwards from real-time observations and become better over time. Also, we can expect some amount of noise in the procedural heuristics that can be reduced by the use of an ANN, and the pilot's performance can be improved as a result. As we mentioned before, our goal was to minimize the damage as much as possible, and to reach the maximum safe speed. These two goals can be achieved by reaching the ideal target angle and the ideal target speed. We need to enable the controller to learn before and during the race using learning algorithms. We will use two main algorithms for this purpose: Artificial Neural Networks and Hill Climbing.

An Artificial Neural Network (ANN) is a learning method that is inspired by the way the human's biological nervous system processes information. Such a system is composed of a large number of connected neurons, the processing elements, in which components work together to solve a specific problem [22]. The ANN is a "layered structure" consisting of three main layers: the inputs layer, the hidden layer, and the outputs layer [9]. The hidden layer uses the learning processing elements (neurons) to adjust the input values combined with a set of parameters in order to produce the optimal output solution.

ANNs can learn by examples and they can be used for pattern recognition or data classification, and they are also appropriate for prediction or forecasting [22]. There are many applications of ANNs such as modeling and diagnosing the cardiovascular system, sales
forecasting, industrial process control, customer research, data validation, risk management, target marketing, and credit evaluation [22].

We implemented an ANN in the Gazelle system to compute the Target Angle Unit using the car state to represent the input layer. As Figure 6 shows, a hidden layer will process this input combined with parameters that predict the maximum safest angle. Based on these parameters, the ANN will outputs an advantageous target angle.


Figure 6: Implementation plan for using neural networks in the Gazelle Controller

We will describe the ANN and how it is implemented in Gazelle more in details in the next section.

We will use another learning method: the Hill Climbing (HC) algorithm. The HC Algorithm can be efficient to use for predicting a good path that the car should take in order to optimize some of the parameters used by the driving system and improve its performance. We used HC in the Target Speed Unit to improve the car's performance.3.3.1 Artificial Neural Networks (ANN)
In this section, we discuss the architecture, the applications and the categories of the neural networks. Furthermore, we describe the structure of our neural network and how we used it in the Gazelle to improve its performance.

## Architecture of Neural Networks:

We will describe the basic ideas behind the artificial neural network first, then we will describe the architecture of the network itself. An ANN is a layered network composed of neurons. The network recives a number of input values, processes them through the successive layers, and produces one or more output values. The network can adapt to a particular problem by comparing the output value with a target value and modifying its internal parameters to reduce the difference incremently.

## Neuron Architecture:

The architecture of the artificial neuron, the basic block in the artificial neural network, can be described as it is shown in Figure 7:


Figure 7: The basic of artificial neuron [1]
Figure 7 shows that various inputs to the neuron are represented by $x(i)$. Each of these inputs is multiplied by a connection weight $w(i)$. These products are summed, fed through a transfer function to generate a result, which is returned as the output [1]. The transfer function or the activation function is the formula that defines the outputs of a neuron using an input or set of inputs. The activation function that we used is the hyperbolic tangent of the sum of weighted inputs, which is a classic function for neural networks taking values in the interval $[-1,1]$ :

$$
\text { Output }=\tanh \left(\sum_{i=0}^{n}(w(i) x(i))\right)
$$

Since the output of the network in our case is an angle in radians limited to the range $\left[-45^{\circ}\right.$, $45^{\circ}$ ], we do not need to scale the output of the neuron.

## Network Architecture:

As it is shown in Figure 8, the network consists of three layers:

- Input layer: consists of neurons representing external input data which play a role in characterizing the output.
- Hidden layers: The architecture of these layers is characterized by the number of layers and the number of hidden neurons. It contains one or more layers and each layer is composed of a group of hidden neurons sharing the same inputs [9]. Such layers can do some basic pattern recognition operations [21].
- Output layer: yields the outputs from the neural network.


Figure 8: A simple artificial network with three layers (input layer, a hidden layer, and output layer)

## Hidden layer:

We need to consider two concerns related to the hidden layer:

- How many hidden layers should we use?
- How many hidden neurons should we use?


## First: the appropriate number of hidden layers

The number of hidden layers depends on the number of output neurons and on the type of the activation function. Even if this relationship cannot be established precisely, some recommendations for appropriate values can be found in the literature [17], [24].

If we have only one input, then there is no need to use more than one hidden layer. However, an ANN with two or more inputs requires adding another hidden layer [25]. We should not use any hidden layer if the ANN is a liner model [11]. This does not apply to us since our activation function is not linear.

If the ANN requires continuous nonlinear hidden-layer activation functions, then one hidden layer is necessary for the "universal approximation" property [6].

In special architectures such as cascade correction, using more than two hidden layers can be beneficial [4]. Based on the various indications and recommendations we found, we decided to use two hidden layers.

## Second: the appropriate number of hidden neurons

Many approaches offer "rules of thumb" for choosing the number of the hidden neurons. One approach suggests that the number of hidden neurons should be between the number of the input neurons and the number of output neurons [2]. Another approach suggested the maximum number of hidden neurons should never exceed the double number of the input neurons [18].

In fact, the best number of hidden units shouldn't depend only on the numbers of input and output units; indeed, it should take into consideration other aspects such as: the number of training cases, the amount of noise in the targets, the complexity of the function or classification to be
learned, the architecture of the network, the type of hidden unit activation function, and the training algorithm [25].

In most situations, there is no way to determine the number of neurons in the hidden layer without trial and error. If we have too few hidden neurons then we will experience a high training error and if we have too many hidden neurons then we could have a high generalization error caused by over-fitting [25].

## Neural networks applications:

Neural networks are applicable to many real world problems. As neural networks are successful in identifying patterns in given data, they are well appropriate for prediction and forecasting such as: sales forecasting, industrial process control, customer research, data validation, risk management, target marketing, credit evaluation, diagnosing diseases, and suggesting treatment [24].

## Neural networks categories:

There are two main categories of the network architectures:

1. Feed-forward networks: allow the input data to travel one way only; from the input layer to the output layer. In fact, the output of any layer doesn't affect that same layer since there are no feedback operations [24]. In this way, in a feed-forward neural network, "the output of each neuron is a function of the inputs" as following:

$$
\text { Output }=\mathrm{f}(\text { inputs })[9] .
$$

2. Feed-backward networks: allow traveling data in both ways, forward and backward. Such a network keeps adjusting connections' weights until it reaches a balanced state where the error between the desirable output and the actual output is diminished [24]. We used a feedbackward ANN in the Gazelle system.

### 3.4 The Neural Network Used in Gazelle

We used a neural network within the Gazelle system to determine the target angle and we designed the architecture of the neural network as follows:

- Output layer: Derives the target angle that can be taken in the next frame.
- The count of the output neurons is 1 or 5 , as we shall explain later.
- Input layer: We need a set of 5 parameters as input data for the neural network. As shown in Figure 9, these inputs include the car state and the track properties as following:


Figure 9: the input layer and output layer in the neural network used in Gazelle

As it is shown above, the input layer consists of 5 input values:

- The last target angle the racing car has taken in the previous frame in order to have more stability in the movement of the car.
- The current angle which represents the angle between the car direction and the direction of the track axis.
- Distance 1, and distance 2, two different distances between the car and the shoulders of the track. These distances are calculated from the angles between the car direction and the direction of the track axis by $\pm 10$ degrees. Such distances are major factors to determine the upcoming curves.
- The car position which represents the distance between the car and the track axis or centerline. Such an input helps to determine an appropriate angle based on the car's position.
- Hidden layer: We used a sigmoid function, which is a mathematical function that has an "S" shape, as an activation function of the artificial neurons. We used tanh as the sigmoid activation function, thus we need two hidden layers since tanh is a continuous nonlinear activation function. Whereas, the number of neurons was chosen after trial and error in a range between the number of outputs and the double of the number of the inputs, between 1 and 10 .

We tried the ANN with two layers and with different numbers of hidden units, then we chose the most promising number of hidden neurons based on the car performance with each setting. We settled for 8 neurons in the first hidden layer and 3 neurons in the second one.


Figure 10: the car's performance differs based on the count of the hidden neurons
As it is shown in Figure 10,

- If the neurons of the first layer are less than 7 , then the car curves to the right
- If the neurons of the first layer are more than 9 , then the car curves to the left.
- If the neurons of the first layer are 7 or 9 , then the car swings between the shoulders of the track.
- If the neurons of the first layer are 8 , then the car travels in the middle of the trak in a stable behavior.
Then the best performance of the car happened when the count of the neurons for the first hidden layer was 8 .

We chose 8 neurons for the first hidden layer, then we applied the same procedure to choose the appropiate number for the second hidden layer. We found out that 3 neurons in the second hidden layer made the car perform in a balanced way travelling in the middle of the track. To summarize,

- The count of the neurons for the first hidden layer $=8$
- The count of the neurons for the second hidden layer $=3$


## NN implementation

We intended for the ANN to be trained many times with each data set to get the best weights that can make the racing car perform well. We used a "classic back-propagation model" within an ANN system that was developed by Dave Miller [26]. This model comes with a video tutorial that is presented as a guideline for the programmers to design, analyze, and implement a neural network [26].

Starting from the existing code for the ANN and Gazelle, we edited it to include advanced tasks such as:

- Output the training data to an external text file during the race when the ANN is disabled for the purpose of collecting the training data.
- Read the training data file when the client is running and the ANN is enabled.
- Assign the number of iterations that the ANN needs to be trained with, during the training process.
- Output the error rate, during the training process, to be analyzed later.
- Enable to choose between Best-weights model and Last-weights model:
- The Best-weights model keeps the best values of the weights when the ANN presented the minimum average error during the training process.
- The Last-weights model keeps the latest values of the weights acquired at the end of the training process.
- Enable to choose between the ANN1 model and the ANN5 model:
- ANN1: In this model, the value of the target angle is represented by one neuron.
- ANN5: In this model, the value of the target angle is represented by five neurons. The goal of this model is to make it easier for the ANN to learn specific values of the target angle by dividing the range of values into 5 intervals and assigning each interval to a different output neuron. This way each neuron has a smaller task to learn. This model achieves this by two operations:

1. Angle to Neurons: this operation converts the target angle from the normal form to 5 neurons in the following way:

- We divided the range of the target angle into 5 intervals as follows:

$$
[\ldots,-0.6),[-0.6,-0.3),[-0.3,0.0),[0.0,0.3),[0.3,0.6] .
$$

- Every interval is assigned a corresponding neuron out of the 5 output neurons. Let "intervals" be the array $[-0.6,-0.3,0,0.3,0.6]$. Let $i$ be an index between 0 and 4 such that the position of the target angle is between intervals $[i]$ and intervals $[i+1]$. First, we calculate the difference between the intervals $[i]$ and the target angle, then we calculate:

$$
\text { alpha }=\frac{\text { targetAngle }- \text { intervals }[i]}{\text { intervals }[i+1]-\text { intervals }[i]}=\frac{\text { targetAngle }- \text { intervals }[i]}{0.3}
$$

We set the corresponding neuron's value for output $[i]$ and output $[i+1]$ to 1-alpha and alpha respectively. This way, the closer the target angle is to the value assigned to a neuron, the closer to 1 will be the output of this neuron.

- If the value of the target angle is not between intervals $[i]$ and intervals $[i+1]$, then the corresponding neuron's value is set to 0 .

2. Neurons to angle: in this operation, we retrieve the target angle in its normal form from the 5 neurons as follows:

- We multiply each value of intervals[i] by the value of the corresponding neuron.
- The resulted products are summed to acquire the target angle in the normal form.


### 3.5 Dynamic Training

In this section we present another learning component that we added to the ANN to enable it to be trained in real time during the race. We enhanced the ANN with the Dynamic Training feature that we developed with the purpose of training the neural network in real time by adjusting its weights if the target angle is misestimated.

The dynamic system is based on detecting three types of situations:

- when the car gets out of the track,
- when the car is about to get out of the track,
- when the car is stuck.

For each of them, a flag is being raised in the system that can be detected by the dynamic learning system.

The flag for the car being out of the track is raised when the position of the center of the car on the road is at more than $85 \%$ of the road's width. This is an empirical value established to account for the width of the car. The flag for the car being stuck is turned on when the angle between the car axis and the road is at more than $20^{\circ}$. The flag for the car being about to get out of the track is turned on when the car's position on the road is at more than $80 \%$ and the front of the car is pointing towards the outside of the track.

If either of these flags is turned on, the input values for the neurons (track position, last car angle with the road, and so on) are fed into the ANN. Then the new target value for the output (the angle) is adjusted the following way. If the car is already outside of the road, and it had been pointing out, then the angle is reduced by $10 \%$. If the car had been pointing towards the inside of the road, it means that it was already trying to correct the trajectory, but the effort was not enough, so the angle is increased by $10 \%$.

For the flags indicating that the car is about to get out, or to get stuck, if the car was pointing towards the outside of the road, then the target angle will be multiplied by a factor of -0.25 , to reverse direction and continue the other way by a smaller amount. Otherwise the angle is reduced by $25 \%$.

Finally, the new target angle is fed to the ANN as the target output, and back-propagation is used to train the ANN with this new value. We only use one iteration in this case to avoid overspecializing the network.

### 3.6 Hill Climbing (HC)

We also present another learning system that enables the controller to adjust its speed during the race. We used a simple Hill Climbing technique to adjust several parameters that controlled the car [5]. The Hill Climbing "is simply a loop that continually moves in the direction of increasing value" and "It terminates when it reaches a 'peak' where no neighbor has a higher value" as Stuart Russell and Peter Norvig state in [17]. Hill Climbing does not look forward beyond the close neighbors of the current state [17]. This algorithm, which was used earlier by EPIC, has a "dynamic adaptation mechanism" to learn the behavior of the racing car on a new track [5]. The method works as follows:

- If no damage has been recorded during the first lapse, the parameters designating the maximal speed in each situation are increased to make the car go faster.
- Otherwise every time the car gets out of the track or records damage without an opponent being close by, the pilot will decrease these parameters to make its behavior safer [5].


### 3.7 Gazelle Contributions

Here is a summary of the improvements on the EPIC system that were made in the Gazelle system:

1. The Opponent Adjuster Unit: a component that enables the Gazelle pilot to deal with opponents. It reacts to any approaching opponent based on its location and how close it is to the pilot.
2. Trouble Spots Register: this component is used to discover the areas in which the car gets out during the first lapse and then to adjust the car's speed when it is approaching these areas.
3. Adding an artificial neural network to compute the appropriate target angle precisely. Such a learning component improves the fluency of the car's movement.
4. Adding the "Dynamic Training" feature which enables the driver to continue training the ANN in real time during the race and can potentially help the car to deal more easily with new tracks.
5. Using the "Hill Climbing" algorithm to adjust the speed during the race to minimize the damage.

## 4. Experimentation

In this chapter, we present all the experimentations that we performed in order to measure the performance of the Gazelle controller after developing many functions and adding many features. We start by describing the methodology that we used to measure the performance of the Gazelle. Then we present the experimental results of running the Gazelle alone, with opponents, and with using the learning methods.

### 4.1 Methodology

We established a set of tests to measure the performance of the Gazelle controller comparing it to previous work. We compared the newly developed methods with two existing controllers: EPIC and the Simple Driver. We run each controller by chosing the car called "SRC-serverl", which represents the running client for the tested controller, to compete itself and measure its performance.

For the tracks, TORCS provides various tracks to choose from. These tracks are designed by different developers with the purpose of testing the performance of the controller on circuits of various difficulty and on various types of roads. During the competitions, drivers can expect to be exposed to unfamiliar roads to challenge their ability to win the race with minimal damage in a record time. We started by choosing a number of tracks to test the systems on, and by determining the experimental conditions to be applied to all of them.

The TORCS training environment provides three main categories of tracks: road tracks, dirt tracks, and oval tracks. There are 21 road tracks that are asphalt circuits of a significant length with many curves of various difficulty. In addition, the system offers 8 dirt tracks, also quite lengthy and representing an increasing challenge in terms of car control. There are 9 oval tracks, which are shorter and more predictable, and designed mostly for speed optimization. We chose three of the road tracks, one dirt track, and one oval track. Of the oval tracks, E-Track5 looks the most interesting because it has curves in both directions. Of the dirt tracks, Dirt 4 looks like it has a good variety of curves. For the road tracks, we chose three of these tracks: Forza, Alpine2, and E-road. Table 4 shows the properties and description of each selected track. E-Road and Dirt4 are the same track except for the road type

Table 4: Properties of the selected tracks

| Track Name | E-Track | Alpine 2 | E-Road | Forza |
| :--- | :--- | :--- | :--- | :--- | :--- |
| Track Shape |  |  |  |  |



Figure 11: The Alpine2 track on the left, and the car is travelling on the same track on the right

As Figure 11 shows, the Alpine 2 track is a road track; its shape has many curves of all kinds: fast, medium and slow curves. Such a road enables us to test the performance more efficiently. This figure also showcases the material of the road on the right, which looks like asphalt. Cars in the simulation in TORCS interact with the road's material and the behavior on the road depends on it. On Tracks made of asphalt allow the cars to travel more fluently than on a dirt road.

For each set of experiments, we set the maximum speed and the safe speed for all of the three drivers with the same value. The maximum speed can vary based on the presence of opponents and of the neural netork. We shall specify the speed setting for each set of the experiments. We set the number of lapses on each track to two in all the cases. As the tracks are generally lengthy, two lapses are enough for an accurate comparison. The second lapse is important for any driver system that learns some information during the first lapse and it allows us to see if the learning process is efficient. At the end of the two lapses, the program itself outputs some information, such as the total time and the damage. We will also add some other measures that are good indicators of performance: the number of times the car gets out of the road, the total number of times the car exited the road, and the total distance covered by the end of the race. The more distance is covered in one lapse, the less efficient the driver is.

Then we will run the three drivers, Simple, EPIC, and Gazelle, on the five tracks and store these measures for all of them.

### 4.2 Procedural Gazelle Experiments

We performed a set of experiments to measure the Gazelle performance compared to the performance of EPIC and the Simple Driver. We set the maximum speed for all the three drivers to $150 \mathrm{~km} / \mathrm{h}$ and the safe speed to $100 \mathrm{~km} / \mathrm{h}$, and we set the number of lapses to 2 lapses per race.

For this set of experiments, we ran every controller on its own (without opponents) by running each of them on the five tracks. This means that we needed to run the client 15 times (3 drivers * 5 tracks) to get the results shown in Table 5.

Table 5: Procedural Gazelle experimental results

| E-track5 |  |  |  |
| :---: | :---: | :---: | :---: |
|  | Simple Driver | EPIC | Gazelle |
| The total number of times the car exited the road | 0 | 0 | 0 |
| The number of frames spent outside the road | 0 | 0 | 0 |
| The total distance covered by the car from the beginning of the race | 3268.91 m | 3268.53 m | 3267.78 m |
| The maximum distance covered by the car from the start line along the track line | 1621.73 m | 1621.31 m | 1621.04 m |
| The damage of the car | 0 | 0 | 0 |
| Total time for the race | 2:15:45 | 2:34:00 | 1:27:10 |
| Lapses | 2 | 2 | 2 |
| Dirt4 |  |  |  |
|  | Simple Driver | EPIC | Gazelle |
| The total number of times the car exited the road | 0 | 0 | 1 |
| The number of frames spent outside the road | 0 | 0 | 123 |
| The total distance covered by the car from the beginning of the race | 6546.22 m | 6545.71 m | 6545.7 m |
| The maximum distance covered by the car from the start line along the track line | 3260.23 m | 3260.37 m | 3260.25m |
| The damage of the car | 0 | 0 | 71 |
| Total time for the race | 5:44:15 | 5:07:27 | 4:01:45 |
| Lapses | 2 | 2 | 2 |
| Alpine2 |  |  |  |
|  | Simple Driver | EPIC | Gazelle |
| The total number of times the car exited the road | 0 | 0 | 1 |
| The number of frames spent outside the road | 0 | 0 | 81 |
| The total distance covered by the car from the beginning of the race | 7573.55 m | 7574.1 m | 7571.96 m |
| The maximum distance covered by the car from the start line along the track line | 3773.39 m | 3773.35 m | 3773.37 m |
| The damage of the car | 0 | 0 | 3314 |
| Total time for the race | 7:07:37 | 6:44:49 | 5:32:39 |
| Lapses | 2 | 2 | 2 |
| E-road |  |  |  |
|  | Simple Driver | EPIC | Gazelle |
| The total number of times the car exited the road | 0 | 0 | 0 |
| The number of frames spent outside the road | 0 | 0 | 0 |
| The total distance covered by the car from the beginning of the race | 6547.46m | 6546.23m | 6546.05 m |
| The maximum distance covered by the car from the start line along the track line | 3260.39 m | 3260.01 m | 3,272.82m |
| The damage of the car | 0 | 0 | 0 |
| Total time for the race | 5:38:03 | 5:09:14 | 3:36:06 |
| Lapses | 2 | 2 | 2 |
| Forza |  |  |  |
|  | Simple Driver | EPIC | Gazelle |
| The total number of times the car exited the road | 0 | 21 | 4 |
| The number of frames spent outside the road | 0 | 2186 | 1051 |
| The total distance covered by the car from the beginning of the race | 11602.1 m | 3863.74m | 11593.3m |
| The maximum distance covered by the car from the start line along the track line | 5783.91 m | 5783.73 m | 5784.09 m |
| The damage of the car | 0 | 4649 | 129 |
| Total time for the race | 6:13:39 | Failed to complete | 2:41:36 |
| Lapses | 2 | 0 | 2 |

As Table 5 shows, out of the three drivers, the minimum time was achieved by the Gazelle controller on each of the five tracks. This was due to the Target Direction Unit. The target direction allows the car to adjust the required steering angle to the minimum angle to achieve the safest maximum speed and as a result, the Gazelle succeeded in achieving the best time. However, taking a smaller target angle required more distance to be covered by the car making it take a less efficient trajectory. Also, the number of times the car gets out of the road on Alpine2 and on Forza was higher for Gazelle and, accordingly, the total time the car spent out of the track was potentially higher than for the two other controllers. Thus, higher damage happened as a result of the collision with the outer walls of the track when the car got out of the track.

The Simple Driver and EPIC achieved less damage compared to the Gazelle. The Simple Driver \& EPIC both completed the race with no damage, while Gazelle was able to complete all the tracks without damage except on Dirt4 and Alpine2 where the damage was high.We will see in the coming subchapters that improvements to the procedural methods and the application of the learning methods will remedy this aspect.

### 4.3 Handling Opponents

We performed a set of experiments to measure the Gazelle's ability to handle the opponents and we compared it to the performance of EPIC and the Simple Driver to handle the same opponents on the same tracks.We chose the pilots berniw1, InfHist1, and inferno10 provided by the TORCS system for this purpose. The system runs races involving several opponents in such a way that they are terminated when a clear ranking can be established. This means when all but one of the competing cars have finished the prescribed number of lapses, the race is ended.

We set the maximum speed for all the three drivers to $250 \mathrm{~km} / \mathrm{h}$ and the safe speed to 100 $\mathrm{km} / \mathrm{h}$ to be compareable to the speed of the opponents, which wasn't configurable. Then we set the lapses to 2 lapses per race.

We run every controller along with the three other built-in opponents: berniw1, lnfHist1, and inferno10. These opponents have various levels of performance: high, medium, and low respectively, as specified in the Torcs manual[10]. Then we used as measurement the rank of the tested controller among the running pilots at the end of the race and measured the time that the winner car achived and the latency time that the controller spent if it wasn't the winner. The latency represents the number of lapses by which the competing cars are behind the winning one. We performed the same experiment for every controller on each track. Table 6 shows the results of testing the three controllers individually, which also involved running the clients 15 times ( 3 driver *5 tracks):

Table 6: The results of testing the controllers' ability to deal with opponents in TORCS on every track

| E-track5 |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: |
|  | Simple Driver | EPIC | Gazelle |  |
| The total number of times the car exited the road | 0 | 0 | 0 |  |
| The number of frames spent outside the road | 0 | 0 | 0 |  |
| The total distance covered by the car from the beginning of the race | 3382.4 | 3368.68 | 3360.96 |  |
| The maximum distance covered by the car from the start line along <br> the track line | 3268.45 | 3268.46 | 3314.72 |  |
| The damage of the car | 0 | 0 | 0 |  |
| Rank | $3 / 4$ | $3 / 4$ | $3 / 4$ |  |
| Total time | $1: 29: 59$ | $7: 59: 19$ | $1: 27: 34$ |  |
| Total time for the winner car | $0: 55: 27$ | $7: 27: 00$ | $0: 53: 05$ |  |
| Latency of the controller | $0: 34: 32$ | $0: 32: 19$ | $0: 34: 29$ |  |
| Lapses | $1 / 2$ | $2 / 2$ | $2 / 2$ |  |
| E-road |  |  |  |  |
|  |  |  |  |  |
| The total number of times the car exited the road | Simple Driver | EPIC | Gazelle |  |
| The number of frames spent outside the road | 0 | 0 | 0 |  |
| The total distance covered by the car from the beginning of the race | 6548.62 | 6648.71 | 4347.97 |  |
| The maximum distance covered by the car from the start line along <br> the track line | 3272.92 | 3272.92 | 3285.42 |  |
| The damage of the car | 403 | 139 | 0 |  |
| Rank | $4 / 4$ | $3 / 4$ | $4 / 4$ |  |
| Total time | $3: 27: 38$ | $3: 28: 41$ | $2: 17: 21+1$ Lap |  |
| Total time for the winner car | $2: 06: 08$ | $2: 06: 35$ | $2: 17: 21$ |  |
| Latency of the controller | $1: 21: 30$ | $1: 22: 06$ | +1 lap |  |
| Lapses | $2 / 2$ | $2 / 2$ | $1 / 2$ |  |

## Dirt4

|  | Simple Driver | EPIC | Gazelle |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| The total number of times the car exited the road | 2 | 2 | 2 |  |  |  |  |
| The number of frames spent outside the road | 213 | 231 | 287 |  |  |  |  |
| The total distance covered by the car from the beginning of the race | 6546.87 | 6545.94 | 6546.96 |  |  |  |  |
| The maximum distance covered by the car from the start line along <br> the track line | 3272.91 | 3272.90 | 3272.92 |  |  |  |  |
| The damage of the car | 185 | 143 | 51 |  |  |  |  |
| Rank | $4 / 4$ | $4 / 4$ | $4 / 4$ |  |  |  |  |
| Total time | $4: 00: 45$ | $3: 58: 41$ | $4: 11: 49$ |  |  |  |  |
| Total time for the winner car | $2: 50: 31$ | $2: 33: 59$ | $2: 30: 20$ |  |  |  |  |
| Latency of the controller | $1: 10: 14$ | $1: 24: 42$ | $01: 41: 29$ |  |  |  |  |
| Lapses | $2 / 2$ | $2 / 2$ | $2 / 2$ |  |  |  |  |
| Alpine 2 |  |  |  |  |  |  |  |
|  |  |  |  |  |  | EPIC | Gazelle |
| The total number of times the car exited the road | 14 | 18 | 0 |  |  |  |  |
| The number of frames spent outside the road | 2225 | 2763 | 0 |  |  |  |  |
| The total distance covered by the car from the beginning of the race | 4379.32 | 4394.89 | 5919.3 |  |  |  |  |
| The maximum distance covered by the car from the start line along <br> the track line | 3798.583 | 3798.58 | 2120.72 |  |  |  |  |
| The damage of the car | 3169 | 1634 | 3250 |  |  |  |  |
| Rank | $4 / 4$ | $4 / 4$ | $4 / 4$ |  |  |  |  |

\(\left.$$
\begin{array}{|l|c|c|c|}\hline \text { Total time } & \begin{array}{c}3: 06: 17 \\
+1 \text { lap }\end{array} & \begin{array}{c}3: 06: 17 \\
+1 \text { lap }\end{array} & \begin{array}{c}3: 03: 11 \\
+1 \text { Lap }\end{array}
$$ <br>

\hline Total time for the winner car \& 3: 06: 17 \& 3: 06: 17 \& 3: 03: 11\end{array}\right]+\)

On E-track5, which is a fairly easy oval road, the three controllers presented similar results; they didn't get out of the track nor took any damage. Furthermore, all of them achieved the third rank out of four racing cars. The Gazelle completed the race successfully in 1:27:34 average time per second, and EPIC came in second with 6:31:45, while the Simple Driver couldn't complete the second lapse.

On E-Road, which is a wide road with a lot of curves, the Gazelle is the only controller that failed to complete the race; this failure was due to reducing the speed to the safe speed when the car was taking the curves. However, it succeeded in remaining inside the track during the race without any damage while the two other controllers suffered medium damage caused either by hitting the hard shoulders on the side of the road or by colliding with other opponents.

On Dirt4, which is similar to E-road except that the surface is dirt, all the controllers completed the race successfully in comparable time. Furthermore, the Gazelle was successful in reducing the damage potentially compared to EPIC and to Simple Driver.

On Alpine2, which is a slow mountain road, the Gazelle is the only controller that succeeded in remaining inside the track during the whole race. However, the racing car hit the hard shoulders frequently. Such collisions were due to two reasons:

1. The nature of Alpine2, which is a narrow road.
2. The speed of Gazelle controller which was too high while the racing car was taking sharp curves given the fact that we had to run this experiment at a higher speed than the one the controller was developed with ( $150 \mathrm{~km} / \mathrm{h}$ ) to keep it closer to the competing cars.

Such collisions with the hard shoulders of the road on curves caused high damage to the racing car. All three controllers were only able to complete one lapse. However, Gazelle achieved the longest distance out of the three before the race was terminated.

On Forza, which is a road with sharp curves, the Gazelle performed the best among the controllers; it was capable to complete one lapse before the race was terminated while EPIC and Simple Driver failed to complete the first lapse. Also, the Gazelle spent less time outside the road compared to the other two controllers by a count of 95 times.

In conclusion, the Gazelle is capable to handle the opponents better than the two other models and capable to reduce the number of times the car exited the track potentially. Also, it performs more efficiently than the two others at the high speed used in these experiments on the E-track, Dirt4, and Forza tracks.

### 4.4 Data Collection and Preparation

In this section, we will discuss how the data for the ANN was collected and processed.

### 4.4.1 Collecting Training Data

First, we need to collect the data to use for training the two types of neural networks:

1. ANN with one output neuron (ANN1).
2. ANN with five output neurons (ANN5).

We derived the required data for determining the target angle for every track alone and output them to text files. The data consist of the values for the last target angle, the postion of the car, the current direction of the car, and the two distances between the car and the shoulders of the track by 10 degrees right and left that where written to the file as the "input values" and the target angle as "output value". We collected these values for each frame on the track with the pilot setup as the procedural Gazelle. At the end of this step, we acquired 5 data files, one data file for each track. Table 7 shows the counts of the training data for each track:

Table 7: Counts of training data

| Track Name | Count of its training data |
| :--- | :---: |
| E-Track5 | 3765 |
| Dirt4 | 7822 |
| E-Road | 7984 |
| Alpine 2 | 10194 |
| Forza | 13140 |

Normally, ANNs need to be trained in a large number of passes through the data, as for example 500 passes. If we want to train the ANN that many times, the training data files are excessively large, as Table 7 shows, and it is not clear that more data is beneficial to the ability of ANN to learn. We needed to reduce the amount of data in such a way that we wouldn't lose the unique data points and that we give the data points in various ranges an equal opporunity to feed the ANN. It's also important for the data points to be fed to the ANN in a randomized order, to avoid over-specializing caused by similar data seen in sequence. We will explain how we filtered the data and randomized their orders in the next subchapter.

### 4.4.2 Filtering and Randomizing the Training Data

The training data we initially collected were enormous, with an uneven distribution and also a nonrandom distribution. Thus, they needed to be filtered. We performed four steps to aquire filtered and randomized data: import data into Microsoft Excel, interval statistics, filtering, and randomizing.

## First step: Import into Microsoft Excel:

We imported all the data files into a Microsoft Excel workbook. Every data file was stored in a separate worksheet containing a table holding the data.

## Second step: Interval statistics:

In order to analyze the distribution of the collected data, we divided the Target Angle, which is the output value, into several small intervals, as shown in Table 8. Each interval was assigned an identifying number, also shown in Table 8.

Table 8: The numbers assigned to each interval of the target angle range

| The interval | The interval's ID number |
| :---: | :---: |
| $<=-0.5^{\circ}$ | 0 |
| $\left[-0.5^{\circ},-0.4^{\circ}\right)$ | 2 |
| $\left[-0.4^{\circ},-0.3^{\circ}\right)$ | 3 |
| $\left[-0.3^{\circ},-0.2^{\circ}\right)$ | 4 |
| $\left[-0.2,-0.1^{\circ}\right)$ | 5 |
| $\left[-0.1^{\circ},-0.01^{\circ}\right)$ | 6 |
| $\left[-0.01^{\circ}, 0.01^{\circ}\right)$ | 7 |
| $\left[0.01^{\circ}, 0.1^{\circ}\right)$ | 8 |
| $\left[0.1^{\circ}, 0.2^{\circ}\right)$ | 9 |
| $\left[0.2^{\circ}, 0.3^{\circ}\right)$ | 10 |
| $\left[0.3^{\circ}, 0.4^{\circ}\right)$ | 11 |
| $\left[0.4^{\circ}, 0.5^{\circ}\right)$ | 12 |
| $\left[0.5^{\circ}, 0.6^{\circ}\right)$ | 13 |
| $>=0.6^{\circ}$ | 14 |

The length of every interval is $0.1^{\circ}$ except between $-0.01^{\circ}$ and $0.01^{\circ}$, where we added a smaller interval (length $=0.02^{\circ}$ ), because the data are comprehensive around the zero when the racing car is traveling on a straight line (the target angle is almost zero).

We assigned a number for the data belonging to the same interval by generating a statement of conditions by a loop in Basic, to acquire the following formula:

```
=IF (I1>-0.5,
IF(I1>-0.4,}\operatorname{IF}(I1>-0.3
```

```
IF(I1>0.5,
IF(I1>0.6,0,14)
```

,13)
, 2)

Then we added a new column (let's call it: Col K ) to hold this formula for all the data and to represent the corresponding number of the intervals from Table 8 based on the output value (the target angle). We can see the count of data points (or size) in every interval for each track in the following charts in Figure 12:


Figure 12: The data size in every interval for each track

As we saw in the previous charts, we have intervals with enormous amount of data such as $[-0.1,-0.01$ ), and others with only few data points to represent them (such as $[0.6, \ldots$ ) ). What we need is an equal chance for every interval to feed the Neural Network with its data or closer to equal if possible. We need to keep all of the data points that represent the small intervals with a small data count and randomly select a given number of data points from intervals that contain comprehensive data points.

## Third step: Filtering:

To filter the data to obtain a more uniform distribution, we took the following steps:

1. We added a new column $(\mathrm{Col} \mathrm{L})$ to count the number of total records that belong to the same interval as the target angle on each row. For example, if the value of the target angle on one
row was 0.24 and the data file was for E-Road, then column L would show the count of the data in the interval $[0.2,0.3$ ) for this track. To do this job, we applied the following formula to ( ColL L ):
=COUNTIF (K:K,K1)
Where K1 is the value of the designated interval number, computed with the formula on page 31 . This provides the count of the value of the cell K 1 in the entire column K .
2. We assigned non-repeating random numbers to every data record belonging to the same interval by generating random integer numbers between 0 and the total count of data in the interval that the current target angle belongs to ( Col L of the current row). We applied the following formula to compute a new column ( Col M ):
=RANDBETWEEN (0,L1)
This function generates a random integer number in the given range.
3. To get a reasonable amount of data in each interval, we filtered the data based on the random numbers in Col M having values less than 50 , which is the total count that we chose to keep in each interval. This procedure will keep all the data that belong to small intervals of small counts and also choose the right number of data from intervals that have comprehensive data. Table 9 shows some statistics of the count of data before and after filtering for each track.

Table 9: statistics of training data before/after filtering process

| Track <br> Name | Data <br> before <br> filtering | Data <br> after <br> filtering | Percentage <br> of kept data |
| :--- | :---: | :---: | :---: |
| E-Track5 | 3765 | 398 | $11 \%$ |
| Dirt4 | 7822 | 745 | $10 \%$ |
| E-Road | 7984 | 743 | $9 \%$ |
| Alpine2 | 10194 | 1060 | $10 \%$ |
| Forza | 13140 | 604 | $5 \%$ |

As a result, we reduced the size of data to the $11 \%$ of the original count in such a way that we have a rational amount of data for every interval without neglecting the unique data that are required to feed the ANN. The result of this procedure is shown in Figure 13.











Figure 13: the data size in every interval for each track. Before filtering (left), after filtering (right)

## Forth step: Randomizing:

In this step we needed to sort the data randomly, such that the ANN is not over-trained by similar data points being fed in sequence. For this part, we proceeded with the following operations:

1. Adding a new Column $(\mathrm{Col} \mathrm{J})$ to generate random fractional numbers between $(0,1)$ using: RAND ()
2. Sorting the filtered table based on Col J.

After this step, the training data were filtered and randomized and they were ready to feed the ANN. Figure 14 shows how the data distribution was like before and after the entire process that we described in this section.

The charts before the filtering and randomizing process (on the right side in the charts) show that the data are dense around the value 0 because the Target Direction Unit only changes the target angle when there is an upcoming curve or the car is approaching the sides of the road. Thus, the interval of 0 degrees contains redundant data which needed to be shredded. On the other side, for large values of the target angle, the intervals contain less data, which means that we needed all of them in such situations.

After the procedure (on the right side in the charts), the data became less redundant in the comprehensive areas and the unique data from the sparse intervals were all kept.


### 4.5 Retrospective Testing of the ANN

After deriving the data from every track, the first evaluation step is retrospective, where the training and testing tracks for the ANN are the same. Thus, we need to train the ANN on the data file collected from a track, then we use it to drive the car on the same track. The procedure is repeated for each of the five tracks. First, this will tell us if the ANN is capable of learning to produce an appropriate target angle. Second, based on these results we can decide which data set is more likely to work best with all the tracks. The reason we need to make such decision is that during the competition the pilot will be faced with a track it has not seen before and we are trying to prepare the best for this situation.

### 4.5.1 Testing Tracks

For the results in this section, we trained the ANN for each track using the data file collected on the same track.

We set the maximum speed for all the situations we have tested to $150 \mathrm{~km} / \mathrm{h}$ and the safe speed to $100 \mathrm{~km} / \mathrm{h}$ and we set the lapses to 2 lapses per race.

We trained the ANN with one neuron (NN1) and with five neurons (NN5) by repeating the process of feeding the data and adapting the ANN to it by back-propagation in a large number of iterations in an attempt to reduce the error value to the minimum. We experimented with training the ANN over 100 iterations and over 500 iterations using one of two features: the last weights values present in the ANN at the end of the training process or the best weights values that were present in the ANN when the average error had the minimal value of the entire training process. By combining the different alternatives for these settings, we trained the ANN by using the data file for a track on the same track in 8 different models as shown in Tables 10 to 17.

## 1- ANN with 1 Neuron- 100 iterations- Last values Model:

Table 10: Results of applying ANN with 1 Neuron- 100 iterations- Last values Model

|  | Etrack <br> $\mathbf{5}$ | Dirt4 | E-Road | Alpine2 | Forza |
| :--- | :---: | :---: | :---: | :---: | :---: |
| The total number of times the car exited the road | 37 | 65 | 65 | 3 | 1 |
| The number of frames spent outside the road | 5707 | 12395 | 12395 | 32 | 27791 |
| The total distance covered by the car from the <br> beginning of the race | 329.337 | 439 | 439 | 7572.02 | 2771.34 |
| The maximum distance covered by the car from <br> the start line along the track line | 304.337 | 414 | 414 | 3773.46 | 2746.34 |
| The damage of the car | 1115 | 2133 | 2133 | 0 | 0 |
| Total time | +1 lap | +1 lap | +1 lap | $8: 13: 01$ | +1 lap |
| lapses | $0 / 2$ | $0 / 2$ | $0 / 2$ | $2 / 2$ | $0 / 2$ |

Table 10 shows the results obtained with one output neuron in 100 iterations, and using the last values for the weights. On E-Track5, Dirt4 and E-Road, the racing car covered a short distance and it got stuck a lot, which caused a high damage to the car. Meanwhile, the Alpine2 was the best-performance track for this model because there was no damage and the car finished the race successfully in an acceptable time. The total time was $8: 13: 01$ minutes as compared to 5:32:39
minutes on the same track without using ANN. On Forza, the racing car failed to complete the race because it got stuck in a sharp turn and it wasn't able to return back to the track.

## 2- ANN with 1 Neuron- 100 iterations- Best values Model:

Table 11: Results of applying ANN with 1 Neuron- 100 iterations- Best values

|  | Etrack <br> $\mathbf{5}$ | Dirt4 | E-Road | Alpine2 | Forza |
| :--- | :---: | :---: | :---: | :---: | :---: |
| The total number of times the car exited the road | 30 | 1 | 1 | 1 | 4 |
| The number of frames spent outside the road | 4801 | 184 | 184 | 9 | 17613 |
| The total distance covered by the car from the <br> beginning of the race | 1450.44 | 6546.11 | 6546.11 | 7572.78 | 9682.41 |
| The maximum distance covered by the car from <br> the start line along the track line | 1425.44 | 3272.826 | 3272.826 | 3785.746 | 3873.37 |
| The damage of the car | 1412 | 0 | 0 | 510 | 148 |
| Total time | +1 lap | $6: 24: 47$ | $6: 24: 47$ | $10: 07: 46$ | +1 lap |
| lapses | $0 / 2$ | $2 / 2$ | $2 / 2$ | $2 / 2$ | $1 / 2$ |

Table 11 shows the results obtained with one output neuron in 100 iterations, and using the best values for the weights. On E-track5, the car got out of the track a lot, 30 times to be precise, and thus it was highly damaged. As a result, the car failed to complete the race successfully. The racing car on Dirt4 and E-Road got out of the track only once and it was able to get back to the track quickly and there was no damage at all. Thus, the car was able to complete the race successfully in 6:24:47 minutes as compared to $4: 01: 45$ minutes for Dirt4, and 3:36:06 minutes for E-Road without using ANN. On Alpine2, the racing car was also able to complete the race. However, it received the highest damage among the tracks. On Forza, the racing car failed to complete the second lapse because it got stuck in a sharp curve and it wasn't able to get out of it.

## 3- ANN with 1 Neuron- 500 iterations- Last values Model:

Table 12: Results of applying ANN with 1 Neuron- 500 iterations- Last values

|  | Etrack5 | Dirt4 | E-Road | Alpine2 | Forza |
| :--- | :---: | :---: | :---: | :---: | :---: |
| The total number of times the car exited the road | 36 | 65 | 4 | 1 | 1 |
| The number of frames spent outside the road | 5530 | 11407 | 699 | 29 | 28459 |
| The total distance covered by the car from the <br> beginning of the race | 322.424 | 664.23 | 6545.87 | 7572.8 | 2766.21 |
| The maximum distance covered by the car from <br> the start line along the track line | 297.43 | 639.23 | 3260.42 | 3785.74 | 2741.21 |
| The damage of the car | 1096 | 3162 | 105 | 1065 | 17 |
| Total time | +1 lap | +1 lap | $9: 31: 12$ | $9: 12: 23$ | +1 lap |
| lapses | $0 / 2$ | $0 / 2$ | $0 / 2$ | $2 / 2$ | $0 / 2$ |

Table 12 shows the results obtained with one output neuron in 500 iterations, and using the last values for the weights. On E-Track5, Dirt4 and E-Road, the racing car failed to complete the race, because the car got stuck a lot and spent a long time outside the track. The damage on these
tracks also was high. On Alpine2, the car was able to complete the race successfully though it was highly damaged. On Forza, the racing car failed to complete the race because it got stuck in a sharp curve and it wasn't able to escape from it.

## 4- ANN with 1 Neuron- 500 iterations- Best values Model:

Table 13: Results of applying ANN with 1 Neuron- 500 iterations- Best values

|  | Etrack5 | Dirt4 | E-Road | Alpine2 | Forza |
| :--- | :---: | :---: | :---: | :---: | :---: |
| The total number of times the car exited the road | 19 | 3 | 6 | 3 | 2 |
| The number of frames spent outside the road | 3040 | 289 | 845 | 1103 | 318 |
| The total distance covered by the car from the <br> beginning of the race | 3269.44 | 6546.14 | 6546.5 | 7573.33 | 11594.4 |
| The maximum distance covered by the car from <br> the start line along the track line | 1633.76 | 3272.78 | 3272.62 | 3785.55 | 5795.95 |
| The damage of the car | 902 | 282 | 758 | 840 | 0 |
| Total time | $5: 26: 06$ | $6: 33: 51$ | $7: 22: 02$ | $9: 59: 44$ | $24: 44: 06$ |
| lapses | $2 / 2$ | $2 / 2$ | $2 / 2$ | $2 / 2$ | $2 / 2$ |

Table 13 shows the results obtained with one output neuron in 500 iterations, and using the best values for the weights. With these settings, racing car was able to complete all the five tracks successfully. On all tracks, except Forza, the car received high damage and spent a significant amount of time out of the track. On Forza, the car was able to complete the race successfully without any damage but it spent very long time out of the track, 24:44:06 minutes as compared to 2:41:36 minutes without using the ANN.

## 5- ANN with 5 neurons -100 iterations -Last values Model:

Table 14: Results of applying ANN with 5 neurons - 100 iterations -Last values

|  | Etrack5 | Dirt4 | E-Road | Alpine2 | Forza |
| :--- | :---: | :---: | :---: | :---: | :---: |
| The total number of times the car exited the road | 37 | 64 | 64 | 4 | 8 |
| The number of frames spent outside the road | 5707 | 12566 | 12566 | 107 | 15707 |
| The total distance covered by the car from the <br> beginning of the race | 328.822 | 375.207 | 375.207 | 7572.1 | 9751.94 |
| The maximum distance covered by the car from <br> the start line along the track line | 303.821 | 350.21 | 350.21 | 3773.52 | 3942.71 |
| The damage of the car | 1117 | 1454 | 1454 | 24 | 85 |
| Total time | +1 lap | +1 lap | +1 lap | $9: 02: 57$ | $6: 03: 11$ |
| lapses | $0 / 2$ | $0 / 2$ | $0 / 2$ | $2 / 2$ | $1 / 2$ |

Table 14 shows the results obtained with five output neurons in 100 iterations, and using the last values for the weights. On E-Track5, Dirt4 and E-Road, the racing car couldn't cover more than 350 meters because it got stuck frequently and it spent long periods of time out of the track. The car also received a high amount of damage. On Alpine2, the car was able to complete the race successfully. On both Alpine2 and Forza, the car got out of the track only a few times and received
less damage than on the three other tracks. On Forza, the racing car got stuck for a long time in a sharp curve and thus it failed to complete the race to the end.

## 6- ANN with 5 neurons -100 iterations - Best values Model:

Table 15: Results of applying ANN with 5 neurons - 100 iterations - Best values

|  | Etrack5 | Dirt4 | E-Road | Alpine2 | Forza |
| :--- | :---: | :---: | :---: | :---: | :---: |
| The total number of times the car exited the road | 24 | 1 | 1 | 0 | 3 |
| The number of frames spent outside the road | 3938 | 334 | 334 | 0 | 691 |
| The total distance covered by the car from the <br> beginning of the race | 1095.82 | 6545.95 | 6545.95 | 7573.58 | 11595.5 |
| The maximum distance covered by the car from <br> the start line along the track line | 1070.82 | 3272.9 | 3272.9 | 3785.37 | 5795.3 |
| The damage of the car | 433 | 40 | 40 | 33 | 0 |
| Total time | +1 lap | $6: 22: 51$ | $6: 22: 51$ | $8: 12: 57$ | $11: 44: 21$ |
| lapses | $0 / 2$ | $2 / 2$ | $2 / 2$ | $2 / 2$ | $2 / 2$ |

Table 15 shows the results obtained with five output neurons in 100 iterations, and using the best values for the weights. On E-Track5, the racing car was able to cover only two thirds of the first lapse because it got stuck many times for long periods of time. On this track, the car received a medium amount of damage. On the rest of the tracks, the car was able to complete the race within acceptable time and the damage was low for all of them. On Forza, the car performed the best among other models and it was able to complete the race successfully.

## 7- ANN with 5 neurons -500 iterations -Last values Model:

Table 16: Results of applying ANN with 5 neurons - 500 iterations -Last values

|  | Etrack5 | Dirt4 | E-Road | Alpine2 | Forza |
| :--- | :---: | :---: | :---: | :---: | :---: |
| The total number of times the car exited the road | 36 | 63 | 2 | 2 | 1 |
| The number of frames spent outside the road | 5530 | 11506 | 349 | 85 | 28461 |
| The total distance covered by the car from the <br> beginning of the race | 322.424 | 626.991 | 6546.07 | 7572.76 | 2771.9 |
| The maximum distance covered by the car from <br> the start line along the track line | 297.425 | 601.994 | 3272.80 | 3785.79 | 2746.9 |
| The damage of the car | 1096 | 3097 | 15 | 1604 | 0 |
| Total time | +1 lap | +1 laps | $8: 57: 33$ | $9: 25: 59$ | +1 lap |
| lapses | $0 / 2$ | $0 / 2$ | $2 / 2$ | $2 / 2$ | $0 / 2$ |

Table 16 shows the results obtained with five output neurons in 500 iterations, and using the last values for the weights. The racing car wasn't able to complete the first lapse since it got stuck a lot except on E-road and Alpine2. However, on Alpine2, the car received potentially high damage. On E-Road, the racing car received low damage and spent a minor period of time out of the track.

## 8- ANN with 5 neurons -500 iterations-Best values Model:

Table 17: Results of applying ANN with 5 neurons -500 iterations-Best values

|  | Etrack5 | Dirt4 | E-Road | Alpine2 | Forza |
| :--- | :---: | :---: | :---: | :---: | :---: |
| The total number of times the car exited the road | 17 | 1 | 1 | 0 | 6 |
| The number of frames spent outside the road | 2606 | 181 | 45 | 0 | 2375 |
| The total distance covered by the car from the <br> beginning of the race | 3268.19 | 6546.0 <br> 1 | 6548.42 | 7572.28 | 11595.7 |
| The maximum distance covered by the car from the <br> start line along the track line | 1621.46 | 3272.8 <br> 5 | 3271.6 | 3786.7 | 5795.5 |
| The damage of the car | 2514 | 28 | 0 | 0 | 1 |
| Total time | $4: 17: 39$ | $6: 23: 22$ | $5: 49: 23$ | $10: 41: 56$ | $12: 22: 19$ |
| lapses | $2 / 2$ | $2 / 2$ | $2 / 2$ | $2 / 2$ | $2 / 2$ |

Table 17 shows the results obtained with five output neurons in 500 iterations, and using the best values for the weights. The racing car was able to complete the race on all the five tracks. On E-track, the car got stuck frequently and it received high damage. On Dirt4, the car got stuck only once and it received a low amount of damage. On E-Road, the car also got stuck only once but it didn't receive any damage. On Alpine2, the car performed the best among the tracks using the current model and it neither got stuck nor received any damage.

## Choosing the best-performance model:

As we saw in the previous tables, on E-Track on all models, the racing car easily got stuck and it received high damage because the data file collected on this track reflects the fact that this track features only wide curves that are not very challenging for the driver. Thus, when the car gets stuck, it can't adjust the target angle properly to maintain traveling inside the track, having seen only smaller angles.

On Dirt4 and E-Road, the racing car behaved similarly and such similar behavior is due to the fact that both Dirt4 and E-Road have the same properties except the material is different. Dirt4 is muddy and E-Road is made of asphalt. On both tracks, the racing car spent a long time to get back to the track every time it got stuck and this happened with every variation of the ANN parameters we have tried, which wastes more time. It completed the race only when the ANN was using the best values.

On Forza, the racing car couldn't complete the race in most models. Such a failure is due to the track shape which contains only sharp turns. Thus, when the car gets stuck in a sharp curve, it can't return back properly to the track because the collected data were limited to deal only with wider angles than the sharp curves involve.

On Alpine2, in general, the racing car did its best among all the tracks for all the settings of the ANN and it completed the race successfully in every setting. This success is due to the shape of the track, which contains many various types of curves. As a result, the ANN is trained better with its data file. We can choose Alpine2 as the best track so far.

After all the experiments, we can nominate Alpine 2 as the ideal track to use with our ANN. We can also see that using the data collected from Alpine 2 with the model of 5 output neurons seems to perform better than the model of 1 output neuron. Additionally, using the best weights
seems to work better than using the last weights. The results also show that training the ANN for a larger number of iterations doesn't improve the performance in our case. 100 iterations seems to be enough to train the ANN. As Figure 15 shows, the error rate for the 500 iterations for Alpine2 using the ANN5 with best values (below) doesn't change over the training time compared to the chart of 100 iterations (above):


Figure 15: The rate of the error that resulted from training the ANN 100 times \& 500 times

Now, we can choose the model number 6 which is Alpine2-ANN with 5 output neurons100 iterations-best weights as the best model to train our ANN with its data in the next subchapter.

### 4.6 Testing the ANN with the New Tracks

For this part of experiments, we tried to see how well the pilot with the ANN can perform when it is trained from the data obtained from one track and then tested on a new track. We used the approach that had the best result in the experiments presented in the previous section, which is Alpine 2 with ANN5 and 100 training steps and the best weights after training, on all the tracks. We trained the ANN with the data file for this track first, then we used it on every track with the given settings. Table 18 shows the experimental results of applying the data file of Alpine2 on every track.

Table 18: Results of applying data of Alpine 2 for training ANN on all of the five tracks

| With ANN |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | Etrack5 | Dirt4 | E-Road | Alpine2 | Forza |
| The total number of times the car exited the road | 0 | 12 | 4 | 0 | 2 |
| The number of frames spent outside the road | 0 | 1903 | 399 | 0 | 12820 |
| The total distance covered by the car from the beginning of the race | 3268.77 | 6545.82 | 6547.28 | 7573.58 | 5150.39 |
| The maximum distance covered by the car from the start line along the track line | 1634.1 | 3260.4 | 3272.19 | 3785.37 | 5125.39 |
| The damage of the car | 0 | 735 | 0 | 33 | 1 |
| Total time | 3:36:25 | 10:23:57 | 8:30:35 | 8:12:57 | +1lap |
| lapses | 2/2 | 2/2 | 2/2 | 2/2 | 0/2 |
| Without ANN |  |  |  |  |  |
|  | Etrack5 | Dirt4 | E-Road | Alpine2 | Forza |
| The total number of times the car exited the road | 0 | 0 | 0 | 1 | 4 |
| The number of frames spent outside the road | 0 | 0 | 0 | 81 | 1051 |
| The total distance covered by the car from the beginning of the race | 3267.78 | 6545.65 | 6546.05 | 7572.12 | 11593.3 |
| The maximum distance covered by the car from the start line along the track line | 1621.04 | 3260.19 | 3,272.82 | 3773.55 | 5784.09 |
| The damage of the car | 0 | 0 | 0 | 3314 | 129 |
| Total time | 1:27:10 | 1:27:10 | 1:27:10 | 5:32:39 | 2:41:36 |
| lapses | 2/2 | 2/2 | 2/2 | 2/2 | 2/2 |

On E-track5, the ANN with weights obtained from training the ANN with the data of Alpine2 was efficient and the racing car was able to complete the race successfully without any damage and within a tolerable time. However, the car spent nearly twice the time that the car spent to complete the race on the same track without using the ANN.

On E-Road and on Dirt4, the racing car got out of the track frequently and it spent a long time to return back to the track. As a consequence, it took a longer time to complete the race when it using the ANN than the spent time without using the ANN. However, it completed the race successfully without any damage on E-road and medium damage on Dirt4.

On Alpine2, the racing car used its own data file to train the ANN and it performed very well with low damage and without getting out of the track. The car also completed the race within an acceptable time, 8:12:57 minutes as compared to 5:32:39 minutes without using the ANN.

On Forza, the racing car got stuck in a sharp curve and it couldn't escape from it. Thus, the car failed to complete the first lapse. The damage was very low (1 out of 3000).

In general, the racing car using ANN trained by Alpine2 data file succeeded in reducing the damage potentially on all the tracks. It also was successful in correcting the path as soon as the car gets out of the track. Furthermore, it can be derived from Table 18 that when the car used the ANN, it covered a similar total distance to the same controller on the same track without using the ANN. With the ANN, the pilot didn't cover extra distance larger than 1 meter. This signifies that the ANN allows the pilot to be as efficient in terms or trajectory as without using it. This means that the ANN has the potential to be efficient on a new track that it has not seen before.

The results also show the ability of the ANN to learn from Alpine2 because Alpine2 has many curves with various angles which makes the ANN able to predict the required target angle for any upcoming curve precisely. However, it did fail in predicting the sharp curves, such as the ones in Forza, because the Alpine2 track lacks in such sharp curves. A future direction of research could be to add some data points obtained from sharp curves on Forza to the data file extracted from Alpine2 for an even better performance.

### 4.7 Testing the ANN with Dynamic Training

In order to further enhance the ability of the ANN to adapt to new tracks, we developed the Dynamic Training feature presented in section 3.4.1. The purpose of this feature is to train the neural network during the race itself (as opposed to beforehand) by adjusting the weights in cases where the target angle is overestimated. With this feature, the pilot detects situations where the car has either exited the road, or is about to, or is stuck, and reduces the target angle aimed in the previous frame by a percentage. Then this new value together with the previous input values are used to train the ANN by back-propagation. We tested the controller using the ANN with the Dynamic Training mode. Then, we retrieved the results, and we included both results with/without using the Dynamic Training feature in Table 19:

Table 19: Results of applying Alpine2 data for training the ANN on all of the five tracks with Dynamic Training

| With Dynamic Training |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: |
|  | Etrack5 | Dirt4 | E-Road | Alpine2 | Forza |
| The total number of times the car exited the road | 0 | 41 | 27 | 9 | 24 |
| The number of frames spent outside the road | 0 | 6427 | 3614 | 4918 | 25581 |
| The total distance covered by the car from the <br> beginning of the race | 3268.48 | 5059.93 | 6348.52 | 3691.49 | 766.86 |
| The maximum distance covered by the car from the <br> start line along the track line | 1634.24 | 1774.47 | 3063.08 | 3666.49 | 741.86 |
| The damage of the car | 0 | 3094 | 2533 | 114 | 1433 |
| Total time | $1: 43: 34$ | $04: 10: 19$ <br> $+1 l a p$ | $04: 37: 39$ <br> $+1 l a p$ | 11 lap | 11 lap |
| Lapses | $2 / 2$ | $1 / 2$ | $1 / 2$ | $0 / 2$ | $0 / 2$ |


| Without Dynamic Training |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: |
|  | Etrack5 | Dirt4 | E-Road | Alpine2 | Forza |
| The total number of times the car exited the road | 0 | 12 | 4 | 0 | 2 |
| The number of frames spent outside the road | 0 | 1903 | 399 | 0 | 12820 |
| The total distance covered by the car from the <br> beginning of the race | 3268.77 | 6545.82 | 6547.28 | 7573.58 | 5150.39 |
| The maximum distance covered by the car from the <br> start line along the track line | 1634.1 | 3260.4 | 3272.19 | 3785.37 | 5125.39 |
| The damage of the car | 0 | 735 | 0 | 33 | 1 |
| Total time | $3: 36: 25$ | $10: 23: 57$ | $8: 30: 35$ | $8: 12: 57$ | +11 ap |
| Lapses | $2 / 2$ | $2 / 2$ | $2 / 2$ | $2 / 2$ | $0 / 2$ |

The results in Table 19 show that the car with Dynamic Training was able to complete the race successfully only on E-track5 and it completed the race within a record time, half the time of the same race's settings without using Dynamic Training feature. On the other hand, the performance of the controller on the rest of the tracks using Dynamic Training was not as good as the one without using Dynamic Training.

On Dirt4 and E-Road, the racing car got stuck a lot and it spent long periods of time out of the track which caused the car to lose the race as the game's rules state [10]. One of the rules, which was applied here, states that there is a maximum amount of time allocated to the race, as well as a maximum amount of allowed damage and of available fuel. Thus, the car failed to complete the second lapse, and also it received high damage.

On Alpine2, the car also couldn't complete the first lapse because it got stuck a lot which caused it to be disqualified from completing the race based on the rules of the game. The car also received higher damage with Dynamic Training feature than without using it.

On Forza, when the racing car used Dynamic Training, it got out of the track a lot, it spent long time out of the track and it received high damage, which also prevented the car from completing the first lapse.

Generally, the results show that using Dynamic Training model in the current state doesn't help the car to perform better than the previous model except for E-track5 where it completed the race in less time than without using Dynamic Training feature. Thus, the success on E-Track5 suggests that this feature could be useful with a better refinement of the equations used.

We attempted this approach and it has not improved the performance except for one track. This strategy has the potential to help the ANN outperform the procedural methods, but it isn't yet efficient enough to achieve this, and thus it is left for future research.

### 4.8 Testing with Hill Climbing (HC)

In order to enhance the Gazelle's performance, we added the Hill Climbing algorithm presented in section 3.6. This algorithm adjusts several parameters that control the pilot. It will increase the maximal speed when no damage has been registered to the car during the first lapse of the race. This way the pilot determines if the track is too easy for the current settings and increases the speed to achieve a better time in the second lapse. Otherwise, the speed is reduced to a safer speed value every time the car gets out of the track or registers damage without another car being close by. The car might also be damaged by collision with another car, but that situation is not the concern of this particular module. Thus, this function also detects when the current settings for the speed are
too high for the track, and tunes them down to reduce the potential damage and to avoid exiting the track. Table 20 shows the results of applying the HC method to the procedural Gazelle system with the maximum speed set to $150 \mathrm{~km} / \mathrm{h}$ to begin with.

Table 20: Results of applying Hill Climbing (HC) to the Gazelle on all of the five tracks

|  | E-Track5 | Dirt4 | E-Road | Alpine2 | Forza |
| :--- | :--- | :---: | :---: | :---: | :---: |
|  | The total number of times the car exited the road | 0 | 4 | 0 | 0 |
| The number of frames spent outside the road | 0 | 325 | 0 | 0 | 24502 |
| The total distance covered by the car from the <br> beginning of the race | 3268.81 | 6546.77 | 6547.4 | 7573.49 | 7353.02 |
| The maximum distance covered by the car from <br> the start line along the track line | 1621.42 | 3260.39 | 3260.2 | 3773.35 | 5783.95 |
| The damage of the car | 0 | 611 | 0 | 586 | 1804 |
| Total time | $02: 10: 31$ | $05: 05: 58$ | $2: 08: 37$ | $08: 51: 17$ | +1 lap |
| Lapses | $2 / 2$ | $2 / 2$ | $2 / 2$ | $2 / 2$ | $1 / 2$ |
|  | Without HC |  |  |  |  |
|  | E-Track5 | Dirt4 | E-Road | Alpine2 | Forza |
| The total number of times the car exited the road | 0 | 0 | 0 | 1 | 4 |
| The number of frames spent outside the road | 0 | 0 | 0 | 81 | 1051 |
| The total distance covered by the car from the <br> beginning of the race | 3267.78 | 6545.65 | 6546.05 | 7572.12 | 11593.3 |
| The maximum distance covered by the car from <br> the start line along the track line | 1621.04 | 3260.19 | $3,272.82$ | 3773.55 | 5784.09 |
| The damage of the car | 0 | 0 | 0 | 3314 | 129 |
| Total time | $1: 27: 10$ | $1: 27: 10$ | $1: 27: 10$ | $5: 32: 39$ | $2: 41: 36$ |
| lapses | $2 / 2$ | $2 / 2$ | $2 / 2$ | $2 / 2$ | $2 / 2$ |

As Table 20 shows, on E-Track5 and E-Road, applying the HC method to the Gazelle system did not have a positive effect. The pilot took an extra half a minute to complete the race with the HC. On Dirt4, the results show that the car received a medium amount of damage with the HC , which is worse than the results without applying the HC, and it took about three times more time than without the HC.

On Alpine2, the results are satisfying as the HC succeeded in reducing the damage from a very high level to a medium level, and in preventing the car from exiting the road. Such success is due to the ability of HC to adopt the required safe speed to pass the curves safely. Yet, the pilot took a longer time to complete the race with the HC than in the same race's settings without the HC.

On Forza, the car failed to complete the race with the HC since it was stuck out of the road frequently which caused higher damage than the resulted damage without applying the HC.

However, the pilot was able to complete the race without the HC within an excellent time, 2:41:36 minutes.

From the presented results, we can conclude that the Hill Climbing algorithm helped the Gazelle to adjust the speed in the roads with a lot of curves, such as on Alpine2. However, it failed to handle the sharp turns, such as the ones on Forza, and it took longer time to complete the race with the new speed values after applying the HC algorithm than with the original speed values without applying the HC.

We performed the same experiments on EPIC with and without applying the HC as Table 21 shows the results.

Table 21: Results of applying Hill Climbing (HC) to EPIC on all of the five tracks

| With HC |  |  |  |  |  |  |  | F-Track5 | Dirt4 | E-Road | Alpine2 | Forza |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | E-The total number of times the car exited the road | 0 | 0 | 0 | 0 |  |  |  |  |  |  |  |
| 0 |  |  |  |  |  |  |  |  |  |  |  |  |
| The number of frames spent outside the road | 0 | 0 | 0 | 0 | 0 |  |  |  |  |  |  |  |
| The total distance covered by the car from the <br> beginning of the race | 3268.55 | 6545.89 | 6545.31 | 7572.46 | 11601.3 |  |  |  |  |  |  |  |
| The maximum distance covered by the car from <br> the start line along the track line | 1621.42 | 3260.37 | 3260.25 | 3773.39 | 5783.83 |  |  |  |  |  |  |  |
| The damage of the car | 0 | 0 | 0 | 473 | 0 |  |  |  |  |  |  |  |
| Total time | $02: 09: 04$ | $04: 17: 28$ | $04: 21: 17$ | $6: 34: 29$ | $06: 05: 19$ |  |  |  |  |  |  |  |
| Lapses | $2 / 2$ | $2 / 2$ | $2 / 2$ | $2 / 2$ | $2 / 2$ |  |  |  |  |  |  |  |
|  | Without HC |  |  |  |  |  |  |  |  |  |  |  |
|  | E-Track5 | Dirt4 | E-Road | Alpine2 | Forza |  |  |  |  |  |  |  |
| The total number of times the car exited the road | 0 | 0 | 0 | 0 | 21 |  |  |  |  |  |  |  |
| The number of frames spent outside the road | 0 | 0 | 0 | 0 | 2186 |  |  |  |  |  |  |  |
| The total distance covered by the car from the <br> beginning of the race | 3268.53 | 6545.71 | 6546.23 | 7574.1 | 3863.74 |  |  |  |  |  |  |  |
| The maximum distance covered by the car from <br> the start line along the track line | 1621.31 | 3260.37 | 3260.01 | 3773.35 | 5783.73 |  |  |  |  |  |  |  |
| The damage of the car | 0 | 0 | 0 | 0 | 4649 |  |  |  |  |  |  |  |
| Total time | $2: 34: 00$ | $5: 07: 27$ | $5: 09: 14$ | $6: 44: 49$ | Failed <br> to <br> complete |  |  |  |  |  |  |  |
| Lapses | $2 / 2$ | $2 / 2$ | $2 / 2$ | $2 / 2$ | 0 |  |  |  |  |  |  |  |

With applying the HC on EPIC, the damage was reduced to zero and the pilot took less time to complete the race on all the tracks. Also, the racing car on Forza was able to complete the race within a good time, 06:05:19 minutes, as compared to the same settings on the same track without applying the HC where the car failed to complete the first lapse.

In general, the results of applying the HC to EPIC are promising because they show the ability of the HC to adopt a safe speed value which outcomes less damage and less time.

After examining all the results of applying the HC to the Gazelle and to EPIC, we can conclude that the HC worked better for EPIC than it works for the Gazelle and the HC with EPIC leads to a better performance by adjusting the speed to a safe speed value.

## 5. Conclusions

In the thesis, we hoped to accomplish a well-developed and efficient algorithm for Gazelle. Such an algorithm can be improved by the learning methods using neural networks and Hill Climbing. We aimed to lead the racing car to achieve an efficient path and an efficient speed and to minimize the damage caused either by opponents or by getting out of the track. For this, we used procedural and learning methods to enable the controller to make a good decision in every frame of the race.

As part of this project, we participated in an international competition (GECCO-13). The procedural Gazelle code was submitted to a TORCS competition where it was accepted and qualified to be a part of the final race. AUTOPIA was the winner of GECCO-2013 SCR whereas our car achieved the eighth rank as the champion's organizers announced [23]. Table 22 shows a summary of the championship's results.

Table 22: Results summary for GECCO-13 [23]

| Competitor | Alsoujlak | Arraias | Sancassa | Total |
| :--- | :---: | :---: | :---: | :---: |
| AUTOPIA | 12 | 13 | 13 | 38 |
| MrRacer | 9 | 5.5 | 6 | 20.5 |
| ICER-IDDFS | 6 | 5 | 8 | 19 |
| GRNDriver | 5 | 5.5 | 4 | 14.5 |
| SnakeOil | 3 | 7 | 3.5 | 13.5 |
| Presto AI | 3 | 1 | 5 | 9 |
| EVOR | 3 | 4 | 1 | 8 |
| GAZELLE | 1.5 | 3 | 2 | 6.5 |

Our controller was submitted before developing the learning methods, thus the damage was high, which affected on the performance negatively, and the pilot achieved lower scores for the tracks: Alsoujalk, Arraias, and Sancassa.

This participation inspired us to continue developing our controller to be a part of the next year's competitions for simulated racing car. For this, we refined the procedural methods, added learning components, and added an opponent modifier module. Our ongoing efforts to develop the Gazelle controller aimed to predict an appropriate path and speed for the racing car in each frame of the race based on the available information about the car's state and based on the knowledge that the car has built using the learning methods. For this, we used both procedural methods and a neural network. We hoped that using neural networks could lead the controller to derive more accurate equations based on previous data acquired during the training process. We also expected that the more the networks are trained, the more precisely they would predict the driving information. We also used a Hill Climbing method to refine the learning process.

In this work, we implemented several procedural methods to improve the performance of the Gazelle. We developed the Target Direction Unit to predict the target angle more precisely. We also developed the Target Speed Unit to determine an appropriate speed based on the target angle, with the goal to achieve the maximum allowed speed when the path is almost straight, and a safe speed when the pilot is taking curves. We also added the Opponent Adjuster for handling the opponents if they violate chosen tolerance values of closeness as determined by the opponent
sensors in each direction, by modifying the speed value and the steering angle to avoid the collision.

In addition to the procedural units, we added the Trouble Spot Register which avoids the accidents caused by errors in predicting the right steering angle that causes the car to get out of the track. We also used several learning methods to optimize the performance of the procedural Gazelle by enabling the controller to learn during the race using learning algorithms. We employed two main learning algorithms: Neural Networks and Hill Climbing. We substituted the procedural Target Direction Unit with an ANN system. The ANN calculates the appropriate target angle after training the ANN with the data file extracted while using the procedural units. We also enhanced the ANN by the Dynamic Training feature for adjusting the weights of the ANN during the race in cases where the target angle is overestimated. We also used the Hill Climbing algorithm to adjust the speed of the car to reach the maximum safe value during the race.

The results show that using the ANN helped to avoid the damage on some tracks and helped to minimize the damage on others. The results also show that the ANN was able to learn from Alpine2 the best because it has many curves with various angles. This allows the ANN to predict the required target angle for any upcoming curve precisely. However, the ANN needs more data acquired on sharp curves to enable the ANN to predict the accurate required target angle for sharp curves, such as the ones on Forza, and to return back to the track with a sharp steering angle when the racing car gets out of the track. The results also show that using the Dynamic Training model to enhance the performance of the ANN has not improved the performance except for E-track5 and refining the used equations more is needed for a better performance. The results also show that the Hill Climbing algorithm (HC) improved the car's performance in situations where the road has a lot of curves, such as the Alpine2 track. The HC helped to reduce the damage by adopting safe speed values in the curves. However, the HC made the pilot take a longer time to finish the race with a lower amount of damage than the required time without applying the HC.

After all these experiments, we can conclude that the Gazelle is an improvement over EPIC because the Gazelle was able to handle the opponents efficiently and it succeeded in avoiding the damage caused either by colliding with other opponents or by hitting the hard shoulders on the side of the road. Also, we can conclude that using the ANN helped the Gazelle to behave more efficiently on any new tracks of any type or any shape. Even though, the Gazelle took a longer time to complete the race with the ANN as compared to the procedural methods with the same settings without using the ANN, we can adopt a higher value for the maximum speed for the next competition. Additionally, the HC algorithm was useful in situations where the road has a lot of curves, such as Alpine2, since it helped to adopt safe speed values to pass these curves without causing any damage. Yet, the HC took extra time as a result of adopting variant speed values.

Working with such a project helped us to improve our skills with programming using C++. It also introduced us to game programing and new learning methods such as neural networks and Hill Climbing. This thesis fulfilled our passion to make the Gazelle system a self-training controller and we hope to achieve a higher ranking in the next international championship. We will continue developing on this project to submit it to the same competition this year.

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